

PEM meeting

Koseki Miyo

Contents

- **Long term seismic noise**

- ① 1 Year Spectrum

- [Detail \(Github#92\)](#)

- ② Weather Correlated Seismic Noise

- [Detail \(Github#93\)](#)

- **Correlation Analysis in X-arm**

- ③ Differential Motion Reduction Effect

- [Detail \(Tex Document\)](#)

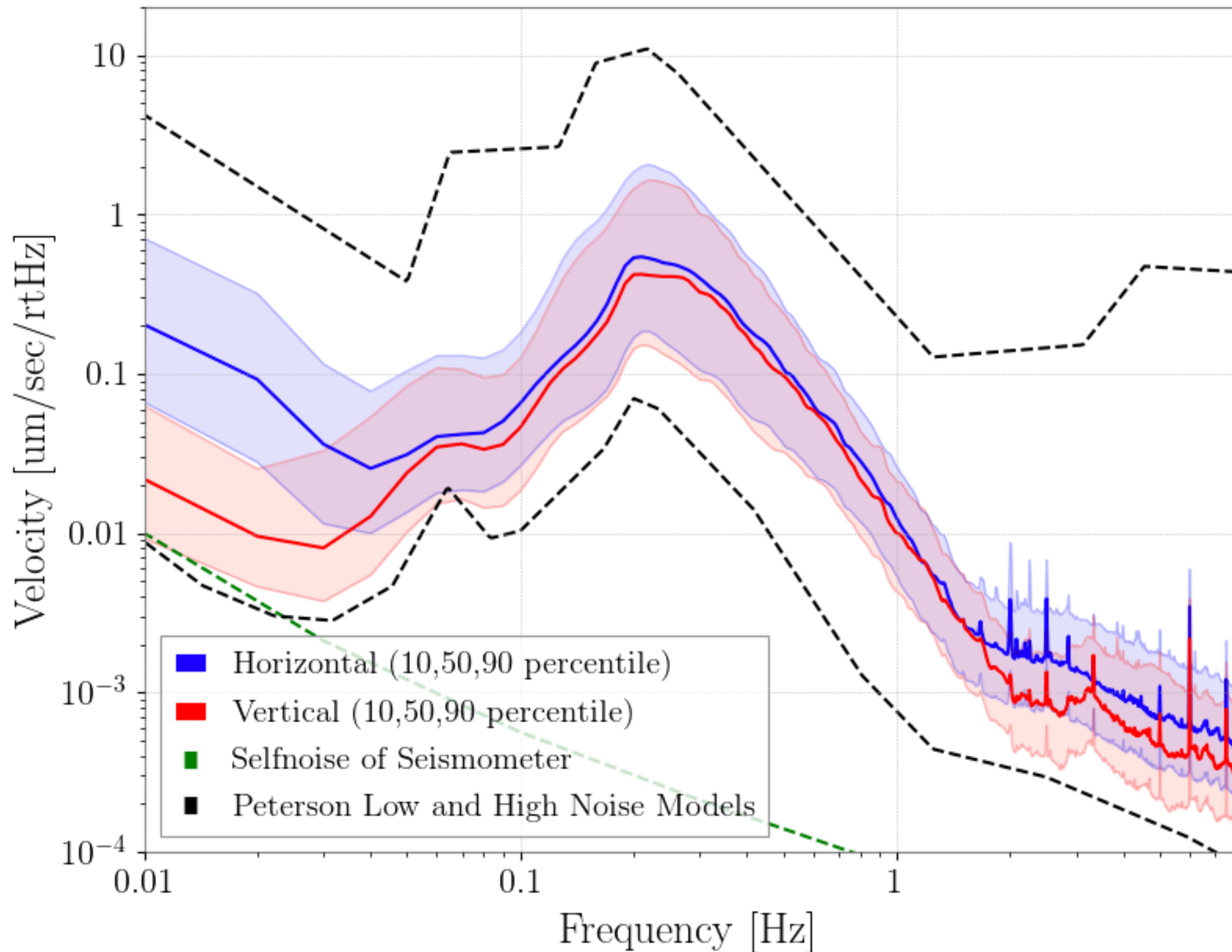
These are ongoing topics.

Please give me comments!

① Long Term Seismic Noise

[Detail \(Github#92\)](#)

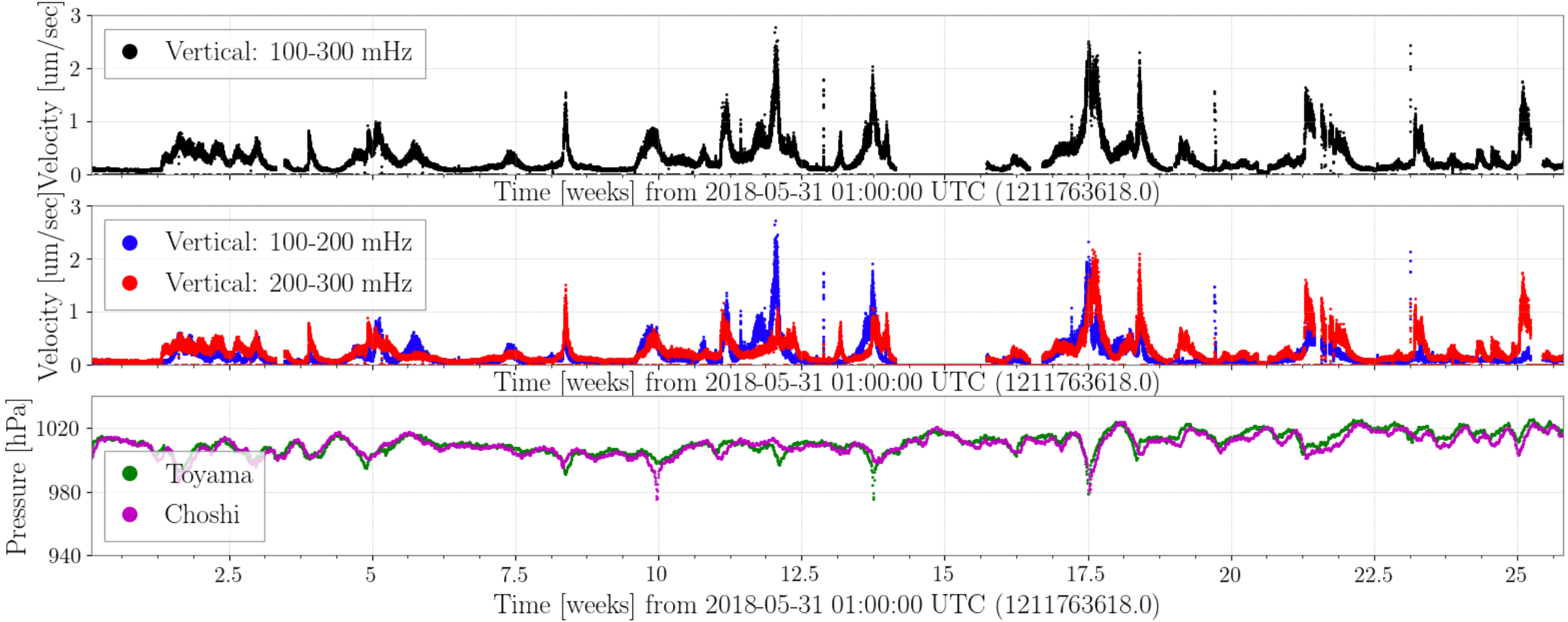
[GIF animation](#)



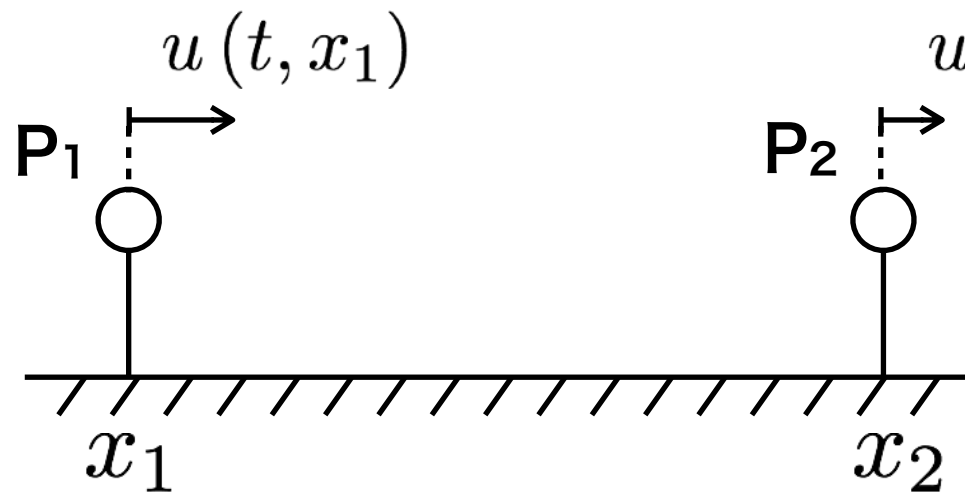
② Weather Correlated Seismic Noise



[Detail \(Github#93\)](#)



③ Differential Motion Reduction



P_1, P_2 : Power Spectrum Density
coh : Coherence from 1 to 2

Assuming that $P_1 = P_2 \equiv P$,

$$P_{\text{diff}} = P \sqrt{1 - \text{Re}[\text{coh}]}$$
$$P_{\text{comm}} = P \sqrt{1 + \text{Re}[\text{coh}]} \quad \text{Detail}$$

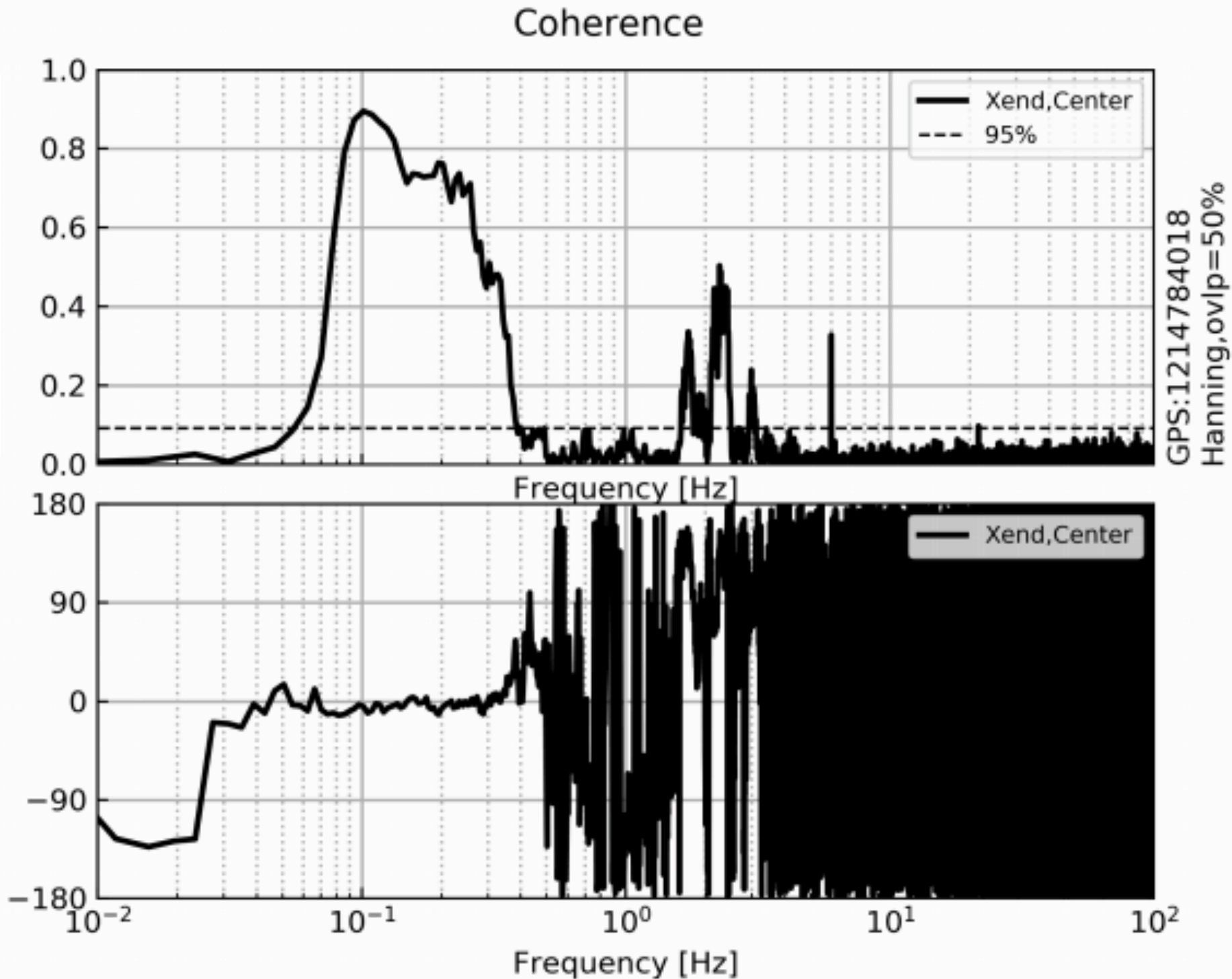
If coherence is 1, diff < comm.

If coherence is 0, diff = comm.

Reduction is estimated with the coherence

Coherence in X-arm

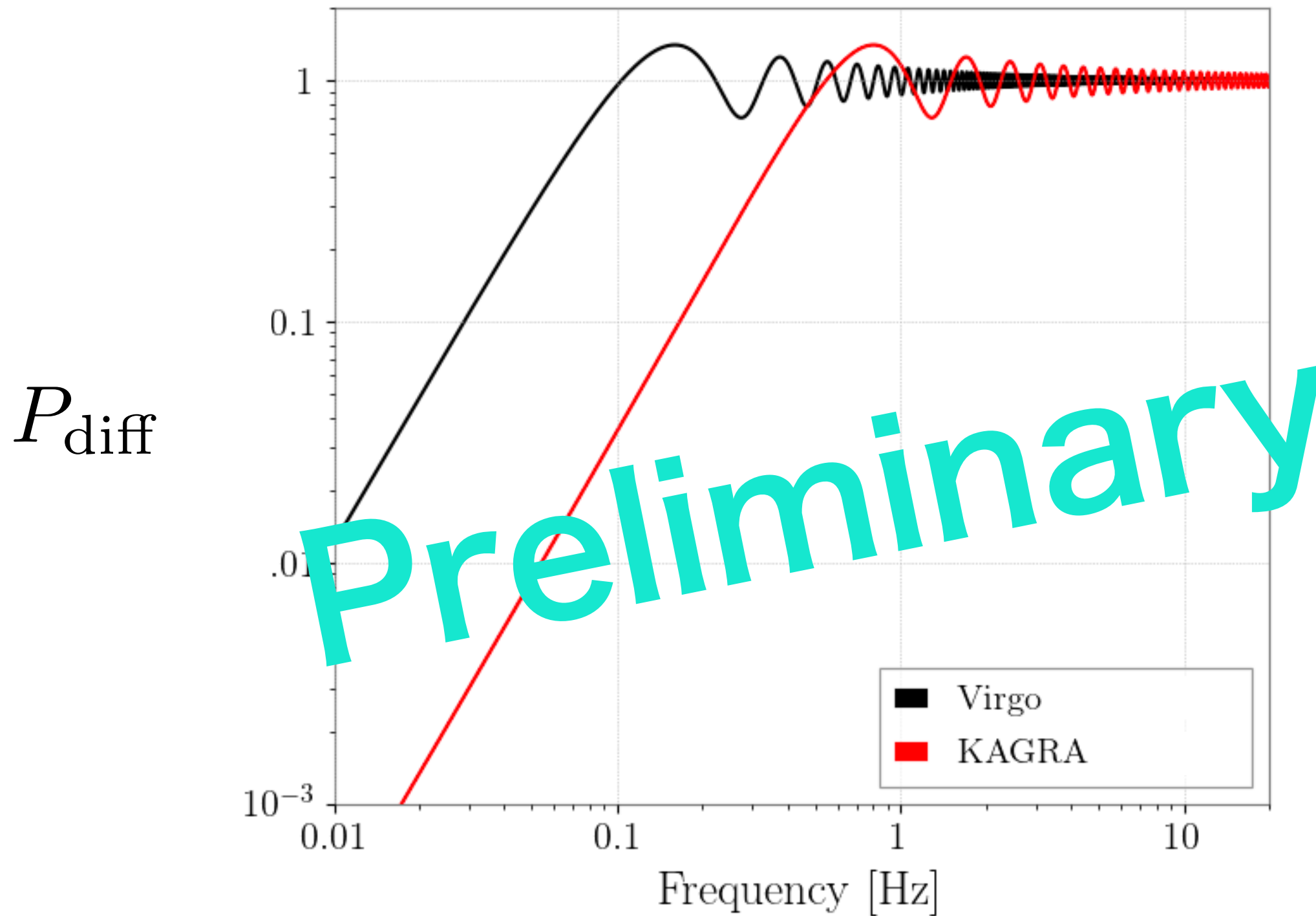
Coherence



Good “coherence” in microseismic band.

Good “reduction” in microseismic band.

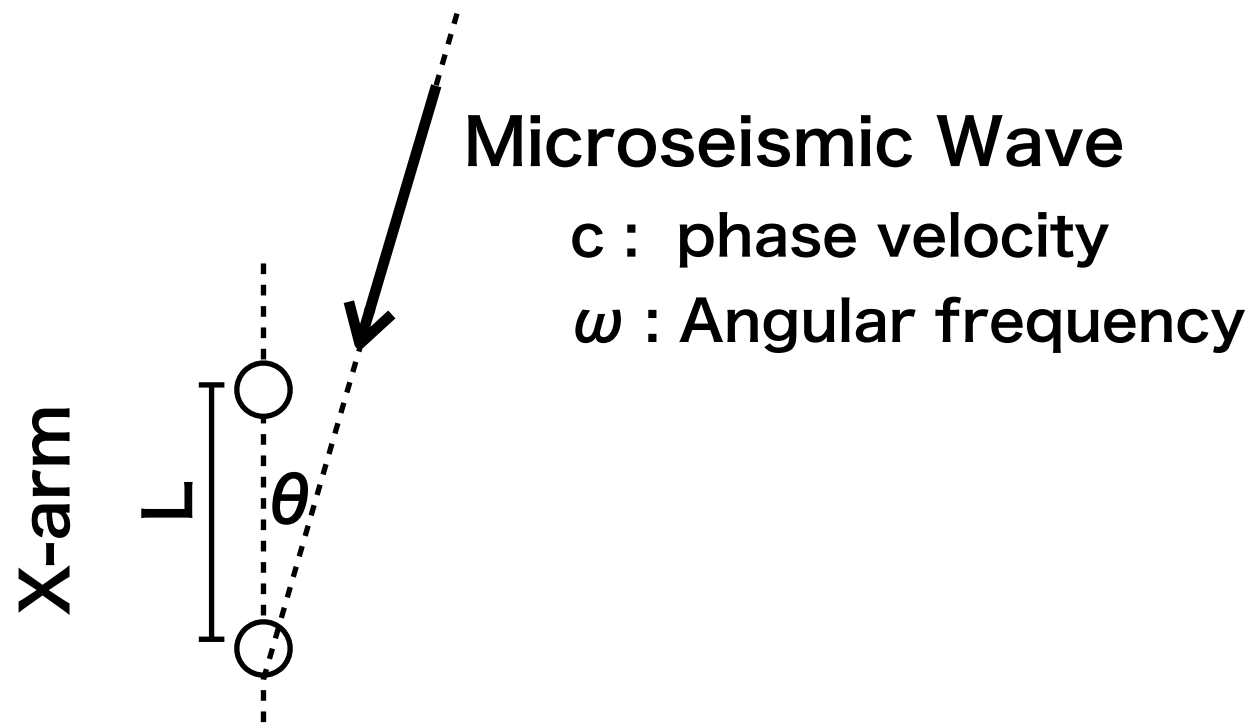
Comparison with other site



↑ is assumed the coherence model

Model

Microseisms come from any direction.



$$\text{coh} = \frac{1}{2\pi} \int_{-\pi}^{\pi} e^{i\frac{\omega}{c}L \cos \theta} d\theta = J_0\left(\frac{L\omega}{c}\right)$$

Bessel functions of the first kind

Ref. $P_{\text{diff}} = P\sqrt{1 - \text{Re}[\text{coh}]}$

e.g. $c_{\text{virgo}} = 1200 \text{ m/sec @0.1Hz}$ ← Ph. D thesis of Dr. Mark Beker
 $c_{\text{kagra}} = 3000 \text{ m/sec @0.1Hz}$ ← preliminary

KAGRA will reduce the differential motion in microseism band.